

A Theory of Conglomerate Mergers

Zhijun Chen
Monash University

and

Patrick Rey
Toulouse School of Economics

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Conglomerate Mergers

- Antitrust: neither horizontal nor vertical
 - Separate product markets
 - Same customers (independent / complementary products)
- Recent wave in digital economy
 - Google / Motorola - \$12.5 billion, 2014
 - Facebook / WhatsApp - \$22 billion, 2014
 - AT&T / DIRECTV - \$48.5 billion, approved by the FCC in July 2015
 - Dell / EMC (data storage) - \$67 billion, 2015
 - Microsoft / LinkedIn - \$26.2 billion, December 2016
 - AT&T / Time Warner - pending

• Parties

- AT&T: largest Internet and telephone service provider in the US
- DIRECTV: second largest pay-TV supplier

• Complaints

- American Cable Association: harm to competition (video distribution)
- Netflix: abuse of market power (interconnection)
- Biglaiser (2014): higher prices for TV programs (content)

• Defence

- AT&T: save costs for consumers
- Katz (2014): consumers' benefit from one-stop shopping
- Berry and Haile (2014): simulations confirming this

• Five months after the merger, AT&T raised prices for TV packages

● US

- Robert Bork (1978): no threat to competition
- US Merger Guidelines: concerns disappear in 1982
- Antitrust authorities: no prohibition in 40 years
- Deputy Assistant Attorney General William Kolasky on *GE/Honeywell*:
 - “After fifteen years of painful experience with these now long-abandoned theories, the U.S. antitrust agencies concluded that antitrust should rarely interfere with any conglomerate merger”
 - “US agencies simply could not identify any conditions under which a conglomerate merger would likely to give the merged firm the ability and incentive to raise price and restrict output”

● EU

- Concerns about portfolio & bundling effects (exclusionary effects)
- EC blocked *GE/Honeywell* (2001, after US approval) and *Tetra Laval-Sidel* (overturned by CFI/ECJ)
- *Eurotunnel/SeaFrance*: unbundling remedy (British and French NCAs)

- A simple theory of conglomerate mergers
 - Gain: consumption synergies
 - *AT&T/DIRECTV*: single installation / bill / helpdesk
 - *Aérospatiale/de Haviland*: pilot cert. & training, spare parts & maint.
 - *Eurotunnel/SeaFrance*: urgent versus non-urgent freight
 - Harm: portfolio differentiation softens competition
- Baseline setting
 - Independent demands for two products
 - Homogenous single-product firms
- Variants and extensions
 - Better integration / interoperability versus “one-stop shop” benefit
 - Product differentiation
 - Merger dynamics

- Impact on prices
 - Consumption synergies confer a competitive advantage
 - Merged entity appropriates part of them
 - Portfolio differentiation: bundle versus mix-and-match
 - Heterogeneous benefits across consumers: softens competition
 - Exacerbated in case of pure bundling
 - [Double marginalization across stand-alone firms]
- Impact on consumers
 - Positive impact if markets are not too concentrated or no bundling
 - Consumers (particularly multi-stop shoppers) can be hurt otherwise

Baseline Setting

- Two markets A and B ; independent demands
 - Demand: Unit demands, homogeneous valuations u_A and u_B
 - Supply: Bertrand competition in both markets
 - firms A_1, A_2, \dots (same constant unit cost c_A)
 - firms B_1, B_2, \dots (same constant unit cost c_B)
 - Social gain from trade: $w = u_A - c_A + u_B - c_B$
- Pre-merger
 - Bertrand competition drives prices down to cost
 - Consumers obtain w
- Suppose firms A_1 and B_1 merge \longrightarrow can offer bundle $A_1 - B_1$
 - Generates heterogeneous consumption synergies: $s \sim F(s), f(s)$
 - Assumptions: $h(s) \equiv \frac{F(s)}{f(s)}$ is increasing, $k(s) \equiv \frac{1-F(s)}{f(s)}$ is decreasing

Proposition

- *Stand-alone prices are at cost*
- *There exists τ^* such that:*
 - *consumers with $s < \tau^*$ mix-and match and get w (as before)*
 - *those with $s > \tau^*$ buy the bundle and get more than w (better-off)*
 - *The bundle is sold at a premium; the merged firm obtains $\Pi^* > 0$*

Intuition:

- Bertrand competition for multi-stop shoppers (stand-alone prices)
 - Obvious is $n_i \geq 3$; but applies as well if $n_i = 2$
 - Multi-stop shoppers are thus unaffected
- The bundle creates consumption synergies
 - The merged firm appropriates part of it
 - Revealed preference: one-stop shoppers are better-off

Proposition

- Same as mixed bundling when $n_A, n_B \geq 3$
- When instead $n_i = 2$ for some $i \in \{A, B\}$
 - consumers who mix-and match face higher prices (worse-off)
 - fewer consumers mix-and match (those with $s \leq \tau^{**} < \tau^*$)
 - the bundle is sold at even higher price; the merged firm obtains $\Pi^{**} > \Pi^*$
- The effect is more pronounced when $n_A = n_B = 2$

Intuition: Portfolio differentiation

- Heterogeneous preferences for bundle: softens competition
- Whenever $n_i = 2$ for $i \in \{A, B\}$, stand-alone firm increases its price
→ the merged firm responds by increasing its price and market share
- Double marginalization across stand-alone firms if $n_A = n_B = 2$

- Merger generates efficiency gains for consumers
 - These are partly appropriated by the merged firm
 - Sole effect if $n_A, n_B \geq 3$ OR in the absence of pure bundling
 - Consumers who mix and match are unaffected
 - Consumers who opt the bundle benefit from this
- Portfolio differentiation may soften competition
 - Effect arises if $n_i = 2$ for some $i \in \{A, B\}$ AND pure bundling
 - Consumers who mix and match are harmed
 - Total consumer surplus may be reduced
- Note: merger always increases total welfare here
... but would need to account for allocative distortion

One-stop shop benefit

- Benefits for one-stop shoppers – with or without bundling
 - Mixed bundling equivalent to “no bundling”
 - Cannot charge “more” to one-stop shoppers (arbitrage)
- When $n_A, n_B \geq 3$, same as before (with or without bundling)
- When $n_i = 2 < n_j$
 - No bundling or mixed bundling: similar outcome
 - merged firm offers good i at cost (more concentrated market)
 - exploits its competitive advantage on good j
 - Pure bundling: same outcome
 - portfolio differentiation
 - higher price for good i
- When $n_A = n_B = 2$
 - Market power even without pure bundling
 - Mixed strategy equilibrium

- Baseline setting: homogeneous products / “extreme” competition
 - Absent bundling, perfect competition even with $n_i = 2$ firms
 - Bundling is the only source of product differentiation
- Assume now that products are differentiated
 - $n_A = n_B = 2$: Hotelling duopoly in each market
 - Firms A_1 and B_1 are located at one end of the Hotelling line
 - Firms A_2 and B_2 are located at the other end
 - Consumers
 - Perfect correlation of preferences across markets
 - Uniform distribution
- Mixed bundling

Proposition

The merger:

- *Increases stand-alone prices for all products
→ harms consumers who mix and match*
- *Benefits consumers buying the bundle
increases total consumer surplus if s is uniformly distributed*
- *Increases profit of merging firms
but reduces the profits of stand-alone firms*

Intuition:

- Consumption synergies: competitive advantage for merged firm
- Portfolio differentiation: competition softening
 - Double marginalization for stand-alone firms
 - But merged firm less aggressive on stand-alone prices
→ lower market share for multi-stop shoppers

Intuition:

- So far, static analysis; dynamics?
- $N = 2$ markets
 - First conglomerate merger is profitable
 - Second conglomerate merger would not be profitable
- $N > 2$ markets, many stand-alone firms in each market
 - “Merger game”
 - One firm is randomly selected and proposes a conglomerate merger, which is implemented if all targeted firms accept it
 - Another firm is randomly selected among stand-alone ones, and so on...
 - Merger wave
 - One conglomerate for every “portfolio size” $N, N - 1, \dots$
 - Larger conglomerates are more profitable

- Antitrust treatment of conglomerate mergers
 - US
 - rather lenient until recently
 - AT&T-Time Warner?
 - EU
 - Initial focus on creation / reinforcement of dominance
 - Portfolio effects: exclusionary abuse, bundling
 - European courts have imposed rather strict standard
- This paper: portfolio differentiation effect
 - Pure bundling, versus mixed or no bundling
 - Policy implication: no pure bundling